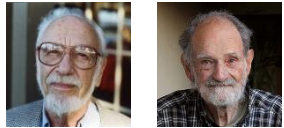


The Complexity of Interactively Learning a Stable Matching by Trial and Error

Econ



Gale & Shapley '62

For any set of men and women, a stable matching **always exists**

Proof: constructive algorithm that requires **full access** to all preferences

But, starting with some matching and iteratively resolving one blocking pair at a time may **cycle** (and not reach a stable matching)

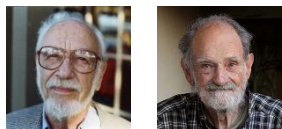
CS



Knuth '71

The Complexity of Interactively Learning a Stable Matching by Trial and Error

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Gale & Shapley '62



Roth & Vande Vate '90



Kojima & Ünver '06

CS



Knuth '71



Ackermann et al. '08

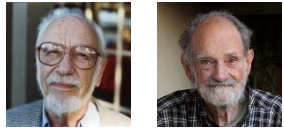
But, if the blocking pair is chosen **uniformly at random**, a stable matching is reached w.p. 1

Also for many-to-many matchings

But (even for one-to-one matchings) this may take **exponentially many** steps

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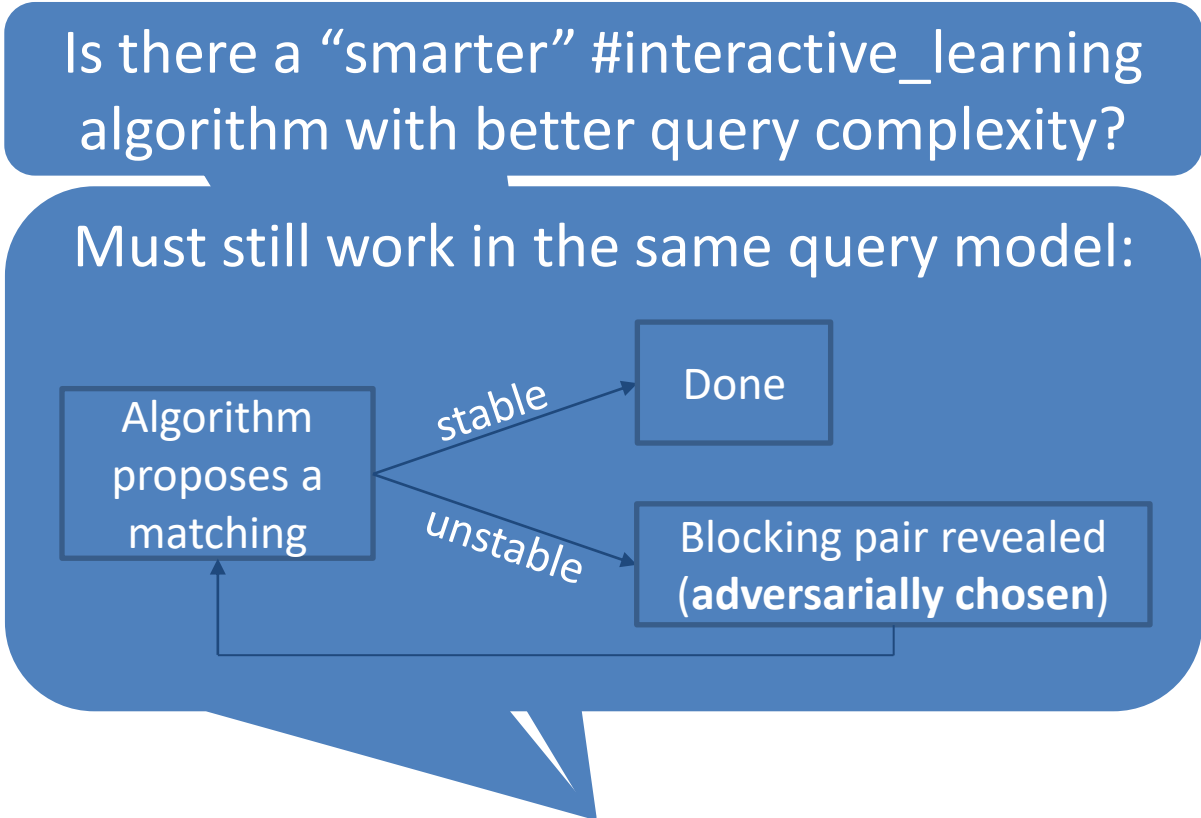


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Emamjomeh-Zadeh, Gonczarowski, Kempe, '20 (#this_paper)

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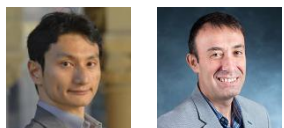
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Is there a “smarter” #interactive_learning algorithm with better query complexity?

Yes! $O(n^2 \log n)$ queries, poly runtime
(Despite extremely coarse queries)

And this is essentially **tight!**

What about many-to-many matchings?

Still **yes!** Though much more delicate, and there is still an **open question** here about runtime. Talk to us for the details!



Emamjomeh-Zadeh, Gonczarowski, Kempe, '20 (#this_paper)

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